

Disposable Income

- **Net Income**
- **Paycheck**
- **After-tax income**

Marginal Propensity to Consume (MPC)

- The fraction of any change in disposable income that is consumed.
- $MPC = \frac{\text{Change in Consumption}}{\text{Change in Disposable Income}}$
- $MPC = \Delta C / \Delta DI$

Marginal Propensity to Save (MPS)

- The fraction of any change in disposable income that is saved.
- $MPS = \frac{\text{Change in Savings}}{\text{Change in Disposable Income}}$
- $MPS = \Delta S / \Delta DI$

Marginal Propensities

- $MPC + MPS = 1$
 - $\therefore MPC = 1 - MPS$
 - $\therefore MPS = 1 - MPC$
- Remember, people do two things with their disposable income, consume it or save it!

The Spending Multiplier Effect

- An initial change in spending (C , I_G , G , X_N) causes a larger change in aggregate spending, or Aggregate Demand (AD).
- Multiplier = $\frac{\text{Change in AD}}{\text{Change in Spending}}$
- Multiplier = $\Delta AD / \Delta C, I, G, \text{ or } X_n$

The Spending Multiplier Effect

- **Why does this happen?**
 - Expenditures and income flow continuously which sets off a spending increase in the economy.

The Spending Multiplier Effect

- Ex. If the government increases defense spending by \$1 Billion, then defense contractors will hire and pay more workers, which will increase aggregate spending by more than the original \$1 Billion.

Calculating the Spending Multiplier

- The Spending Multiplier can be calculated from the MPC or the MPS.
- $\text{Multiplier} = 1 / (1 - \text{MPC})$ or $1 / \text{MPS}$
- Multipliers are (+) when there is an increase in spending and (–) when there is a decrease

Calculating the Tax Multiplier

- When the government taxes, the multiplier works in reverse
- Why?
 - Because now money is leaving the circular flow
- Tax Multiplier (note: it's negative)
 - = $-\text{MPC} / 1 - \text{MPC}$ or $-\text{MPC} / \text{MPS}$
- If there is a tax-CUT, then the multiplier is +, because there is now more money in the circular flow

MPS, MPC, & Multipliers

- Ex. Assume U.S. citizens spend 90¢ for every extra \$1 they earn. Further assume that the real interest rate ($r\%$) decreases, causing a \$50 billion increase in gross private investment. Calculate the effect of a \$50 billion increase in I_G on U.S. Aggregate Demand (AD).
 - Step 1: Calculate the MPC and MPS
 - $MPC = \Delta C / \Delta DI = .9 / 1 = \underline{.9}$
 - $MPS = 1 - MPC = \underline{.10}$
 - Step 2: Determine which multiplier to use, and whether it's + or -
 - The problem mentions an increase in ΔI_G ∴ use a (+) spending multiplier
 - Step 3: Calculate the Spending and/or Tax Multiplier
 - $1 / MPS = 1 / .10 = \underline{10}$
 - Step 4: Calculate the Change in AD
 - $(\Delta C, I_G, G, \text{ or } X_N) * \text{Spending Multiplier}$
 - $(\$50 \text{ billion } \Delta I_G) * (10) = \underline{\$500 \text{ billion } \Delta AD}$

MPS, MPC, & Multipliers

- Ex. Assume Germany raises taxes on its citizens by €200 billion . Furthermore, assume that Germans save 25% of the change in their disposable income. Calculate the effect the €200 billion change in taxes on the German economy.
 - Step 1: Calculate the MPC and MPS
 - $MPS = 25\%(\text{given in the problem}) = \underline{.25}$
 - $MPC = 1 - MPS = 1 - .25 = \underline{.75}$
 - Step 2: Determine which multiplier to use, and whether it's + or -
 - The problem mentions an increase in T .: use (-) tax multiplier
 - Step 3: Calculate the Spending and/or Tax Multiplier
 - $-MPC /_{MPS} = -.75 / .25 = \underline{-3}$
 - Step 4: Calculate the Change in AD
 - $(\Delta \text{Tax}) * \text{Tax Multiplier}$
 - $(\text{€}200 \text{ billion } \Delta T) * (-3) = \underline{-\text{€}600 \text{ billion } \Delta \text{ in AD}}$

MPS, MPC, & Multipliers

- Ex. Assume the Japanese spend $\frac{4}{5}$ of their disposable income. Furthermore, assume that the Japanese government increases its spending by ¥50 trillion and in order to maintain a balanced budget simultaneously increases taxes by ¥50 trillion. Calculate the effect the ¥50 trillion change in government spending and ¥50 trillion change in taxes on Japanese Aggregate Demand.
 - Step 1: Calculate the MPC and MPS
 - $MPC = \frac{4}{5}$ (given in the problem) = .80
 - $MPS = 1 - MPC = 1 - .80 = \underline{.20}$
 - Step 2: Determine which multiplier to use, and whether it's + or -
 - The problem mentions an increase in G and an increase in T.: combine a (+) spending with a (-) tax multiplier
 - Step 3: Calculate the Spending and Tax Multipliers
 - Spending Multiplier = $\frac{1}{MPS} = \frac{1}{.20} = \underline{5}$
 - Tax Multiplier = $\frac{-MPC}{MPS} = \frac{-.80}{.20} = \underline{-4}$
 - Step 4: Calculate the Change in AD
 - $[\Delta G * \text{Spending Multiplier}] + [\Delta T * \text{Tax Multiplier}]$
 - $[(¥50 \text{ trillion } \Delta G) * 5] + [(¥50 \text{ trillion } \Delta T) * -4]$
 - $[¥250 \text{ trillion}] + [-¥200 \text{ trillion}] = \underline{¥50 \text{ trillion } \Delta AD}$

The Balanced Budget Multiplier

- That last problem was a pain, wasn't it?
- Remember when Government Spending increases are matched with an equal size increase in taxes, that the change ends up being = to the change in Government spending
- Why?
 - $\frac{1}{MPS} + \frac{-MPC}{MPS} = \frac{1 - MPC}{MPS} = \frac{MPS}{MPS} = 1$
- The balanced budget multiplier always = 1